

Appendices for C-4 — CUWF Tensor Field Theory

These appendices are designed to be placed after the Conclusion and before the References of Paper C-4. They summarize the canonical notation, the main equation architecture, and the conceptual replacement map between standard quantum mechanics and the CUWF tensor-field formulation.

Appendix A — Canonical Symbols and Notation

Appendix A lists the canonical symbols used in C-4. The purpose is to give the reader a compact reference for the tensor objects, geometric structures, transport quantities, thresholds, and coupling parameters that appear throughout T-0 to T-8.

Symbol	Meaning in C-4
$M = C \times M_DOF$	Hybrid CUWF manifold formed from collapse-geometry sector and internal degree-of-freedom sector.
C	Collapse-geometry sector; the sector in which basin structure, node landscape, and collapse trajectories are represented.
M_DOF	Degree-of-freedom / internal state manifold; represents internal wave-state axes and configurational freedom.
x_i	Coordinate in the collapse-geometry sector.
q^A	Coordinate in the DOF-sector.
$X^I = (x_i, q^A)$	Hybrid coordinate combining collapse geometry and DOF-state coordinates.
i, j, k, \dots	Index class for collapse-geometry sector.
A, B, C, \dots	Index class for DOF-sector.
I, J, K, \dots	Hybrid index class over the full manifold $C \times M_DOF$.
g_E, g^{IJ}, g_{IJ}	Entropic metric; raises and lowers indices and defines valid geometric contraction across sectors.
Γ^I_{JK}	Entropic connection; describes tensor rotation, transport, shear, and curvature response on the CUWF manifold.

Symbol	Meaning in C-4
∇^I	Covariant derivative on the hybrid entropic manifold.
D_τ	Covariant transport derivative along entropic trajectory τ .
E	Entropic potential; source quantity whose second covariant derivative generates stability curvature.
T^{IJ}	Stability Tensor; eigen-curvature object governing collapse, tunneling, soft modes, and quantum activation.
Φ^{IJ}	Non-normal activation term; responsible for soft-mode amplification and quantum onset.
Ξ^{IJ}	Entanglement Tensor; tensor of curvature coherence generated from Stability Tensor contraction.
S^I_j	Entropic Stress Tensor; converts collapse curvature into anisotropic stress and wave-propagation dynamics.
$R^I_j{}^{KL}$	Entropic Curvature Tensor; Riemann-like curvature object measuring bending of the CUWF manifold.
G^I_j	Entropic Einstein-type tensor; curvature-balance object used in the CUWF field equation.
$\lambda_{\min}(T)$	Minimum eigenvalue of the Stability Tensor; determines stable, threshold, or quantum-active regimes.
B_n	Collapse basin; region in which the relevant eigen-directions of T remain positive.
ΔT^{IJ}	Switching Tensor; contrast tensor between candidate collapse basins or channels.
J^I	Entanglement-exchange / tensor-flux current used in wave-propagation dynamics.
F_j	Stress-information flux vector defined by divergence of the Entropic Stress Tensor.
κ, λ	Coupling parameters in the entropic Einstein-CUWF field equation.

Symbol	Meaning in C-4
alpha, beta, gamma	Coupling parameters in the field equation for the entropic potential E.
Box_E	Entropic d'Alembertian; metric contraction of second covariant derivatives of E.

Appendix B — Equation Map of C-4

Appendix B summarizes the main equation architecture of C-4. The purpose is not to replace the full derivations in T-1 to T-8, but to show how the tensor system is assembled as a continuous chain from stability to entanglement, curvature, field equations, and deterministic path selection.

Eq.	Expression	Object	Role in C-4
(1)	$T^{IJ} = \text{nabla}^I \text{nabla}^J E + \text{Phi}^{IJ}$	Stability Tensor	Defines eigen-curvature of collapse and quantum activation.
(2)	$T^{IJ} v_J = \text{lambda} v^I$	Eigen-tensor relation	Classifies stable, threshold, and quantum-active regimes through eigenvalues.
(3)	$D_{\text{tau}} T^{IJ} = -\text{nabla}^I \text{nabla}^J E + \text{Gamma}^{IJ}_K \text{partial}_K E + \text{Lambda}^{IJ}$	Transport law	Main covariant evolution rule for the Stability Tensor.
(10)	$\text{xdot}^I = -g^{IJ} \text{nabla}_J E$	Collapse-node vector flow	Rank-1 projection of tensor-driven collapse motion.
(12)	$S^I_j = \text{nabla}^I \text{nabla}_j E - (1/2) g^I_j (\text{nabla}^K \text{nabla}^L E g_{KL})$	Entropic Stress Tensor	Converts collapse curvature into anisotropic stress.
(13)	$D^2_{\text{tau}} X^I = -S^I_j X_j + J^I$	Wave-propagation law	Describes propagation of collapse-node dynamics on the entropic manifold.

Eq.	Expression	Object	Role in C-4
(15)	$\text{nabla}^I S^I_j = F_j$	Stress-flux relation	Defines stress-information flux and entanglement onset condition.
(18)	$R^I_j{}^{KL} = \text{partial}^K \Gamma^I_j{}^L - \text{partial}^L \Gamma^I_j{}^K + \Gamma^I_M{}^K \Gamma^M_j{}^L - \Gamma^I_M{}^L \Gamma^M_j{}^K$	Entropic Curvature Tensor	Defines Riemann-like curvature of the CUWF manifold.
(21)	$[\text{nabla}^I, \text{nabla}^J] V^K = R^K_L{}^{IJ} V^L$	Curvature commutator	Shows how non-commuting covariant derivatives generate curvature.
(23)	$G^I_j = \kappa S^I_j + \lambda \text{Xi}^I_j$	Entropic Einstein-CUWF field law	Relates geometry, stress, and entanglement feedback.
(24)	$\text{Box}_E E = F(E, T, \text{Xi})$	Entropic potential equation	Field equation for the entropic potential.
(25)	$F(E, T, \text{Xi}) = \alpha g^{IJ} T^{IJ} + \beta g^{IJ} \text{Xi}^{IJ} + \gamma \text{Phi}_{\text{tr}}(E)$	Example coupling	Links the potential field to stability curvature, entanglement, and activation.
(27)	$B_n = \{ x \mid \lambda_{-i}(T^{IJ}(x)) > 0 \text{ for all } i \}$	Collapse basin definition	Defines stable basin geometry through positive eigen-curvature.
(30)	$\Delta T^{IJ} = T^{IJ}(B) - T^{IJ}(A)$	Switching Tensor	Measures tensor contrast between candidate channels.
(31)	$\text{Path}_{\text{selected}} = \text{argmin}(\text{eigenvalue}(T^{IJ}))$	Born-rule replacement	Defines deterministic curvature selection by minimum eigen-curvature.

Eq.	Expression	Object	Role in C-4
(32)	$\sum_j X_{i,j} > X_{i,threshold}$	Collective switching condition	Defines multi-node coherence threshold for GHZ-type or superconductive switching.

Appendix C — Conceptual Replacement Table: Standard QM vs CUWF C-4

Appendix C gives the conceptual replacement map of C-4. The table clarifies how the tensor-field formulation reinterprets standard quantum-mechanical concepts as deterministic geometric processes on the entropic manifold.

Standard QM	CUWF C-4	Interpretive Meaning
Wavefunction ψ	Tensor field $\{T, X_i, R\}$	The primary object is no longer a probability amplitude but a set of tensor-geometric structures.
Born probability $ \psi ^2$	Minimum curvature path / argmin eigenvalue(T)	Path selection becomes deterministic curvature selection rather than weighted random sampling.
Collapse postulate	Basin switching	Collapse becomes a transition between curvature basins.
Measurement outcome	Already-selected curvature channel	Measurement records the selected basin; it does not create the outcome.
Tunneling probability	Curvature sign-flip	Tunneling begins when eigen-curvature softens through zero and becomes negative.
Entanglement nonlocality	X_i -network coherence	Correlation arises from tensor connectivity and curvature alignment, not distance-breaking influence.
Schroedinger evolution	Covariant transport + PDE field system	Evolution is represented as tensor transport and wave-curvature dynamics.

Standard QM	CUWF C-4	Interpretive Meaning
Hilbert-space state	Entropic manifold tensor state	The fundamental arena is the hybrid manifold $M = C \times M_DOF$.
Observer-induced collapse	Observer-independent curvature selection	No observer is required to trigger the transition.
Quantum randomness	Curvature-selective flow	Apparent randomness is interpreted as incomplete access to deterministic tensor geometry.
Superposition	Competing basin geometry / multi-channel curvature availability	Multiple channels exist as geometric possibilities until curvature selection occurs.
Decoherence	Loss or redistribution of Ξ coherence	Classicalization occurs when coherent tensor connectivity weakens or redistributes.
Quantum computing qubit	Curvature-path qubit / tensor-channel state	Information processing can be reframed through controlled basin selection and coherence networks.

Closing note: These appendices are intended as reference aids for C-4. They do not introduce new postulates beyond the main body. Their role is to make the notation, equation structure, and conceptual replacement logic easier to verify and reuse in C-5, C-6, and the future D/E simulation and experimental volumes.